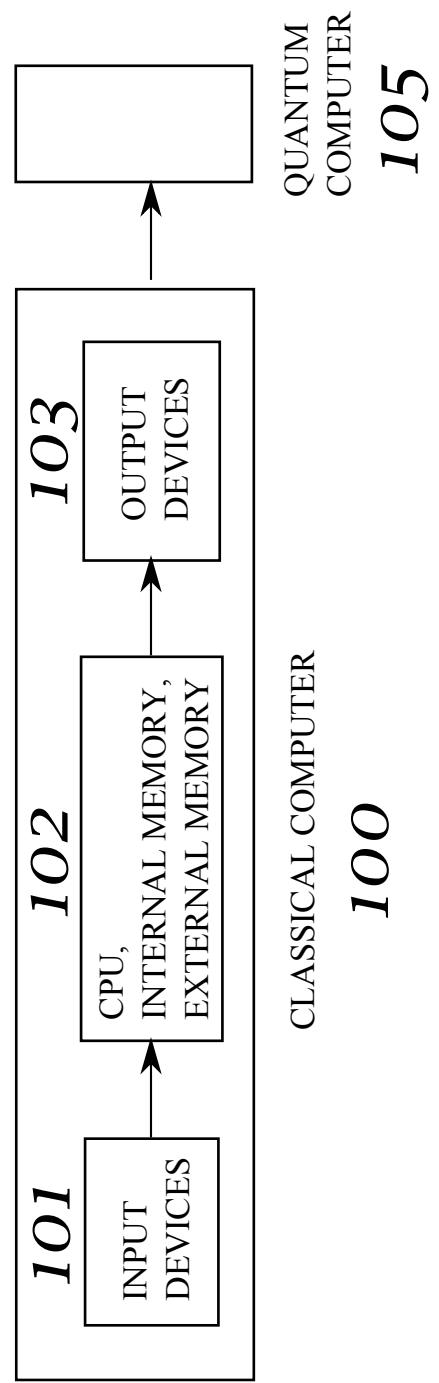


*Figure 1*



## Figure 2

$$|z_0|^2 + |z_1|^2 + \langle \chi | \chi \rangle = 1 \quad 2O1$$

$$p = |z_0|^2 + |z_1|^2, \quad q = 1 - p \quad 2O2$$

$$|s\rangle_{\mu,\nu,\omega} = \begin{matrix} z_0 |\psi_0\rangle_\mu \\ |0\rangle_\nu \\ |0\rangle_\omega \end{matrix} + \begin{matrix} z_1 |\psi_1\rangle_\mu \\ |1\rangle_\nu \\ |0\rangle_\omega \end{matrix} + \begin{matrix} |\chi\rangle_{\mu,\nu} \\ |1\rangle_\omega \end{matrix} \quad 2O3$$

$$|t\rangle_{\mu,\nu,\omega} = \frac{1}{\sqrt{p}} \begin{bmatrix} z_0 |\psi_0\rangle_\mu \\ |0\rangle_\nu \\ |0\rangle_\omega \end{bmatrix} + \begin{bmatrix} z_1 |\psi_1\rangle_\mu \\ |1\rangle_\nu \\ |0\rangle_\omega \end{bmatrix} \quad 2O4$$

$$\begin{aligned} [|t\rangle \langle t|]_{\mu,\nu,\omega} |s\rangle_{\mu,\nu,\omega} &= \sqrt{p} \quad |t\rangle_{\mu,\nu,\omega} \quad 2O5 \\ [|0\rangle \langle 0|]_\omega |s\rangle_{\mu,\nu,\omega} &= \sqrt{p} \quad |t\rangle_{\mu,\nu,\omega} \end{aligned}$$

$$\begin{aligned} [|t\rangle \langle t|]_{\mu,\nu,\omega} |t\rangle_{\mu,\nu,\omega} &= |t\rangle_{\mu,\nu,\omega} \quad 2O6 \\ [|0\rangle \langle 0|]_\omega |t\rangle_{\mu,\nu,\omega} &= |t\rangle_{\mu,\nu,\omega} \end{aligned}$$

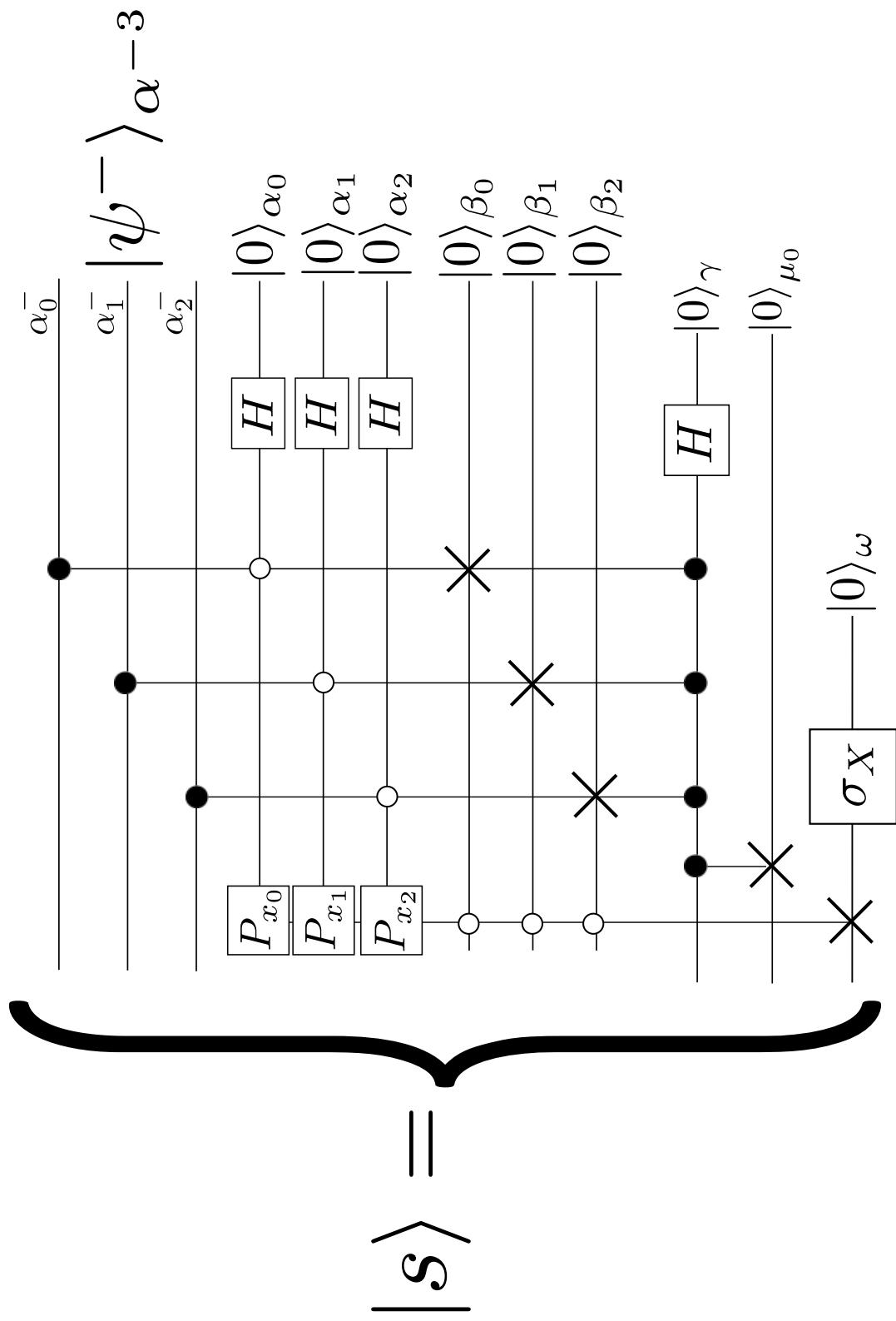
$$\langle t | s \rangle = \sqrt{p} \quad 2O7$$

$$\text{tr}_{\mu,\omega} \left\{ |t\rangle \langle t|_{\mu,\nu,\omega} \right\} = P(0) |0\rangle \langle 0|_\nu + P(1) |1\rangle \langle 1|_\nu \quad 2O8$$

$$P(0) = |z_0|^2/p, \quad P(1) = |z_1|^2/p \quad 2O9$$

$$|z_1|^2 = \frac{P(1)}{P(0)} |z_0|^2 \quad 21O$$

*Figure 3*



*Figure 4*

$$\begin{aligned}
 |s\rangle_{\mu,\nu,\omega} &= z_1 |\psi_1\rangle_\mu + z_0 |\psi_0\rangle_\mu \\
 &\quad + \frac{|1\rangle_\nu}{|0\rangle_\omega} + \frac{|\chi\rangle_{\mu,\nu}}{|1\rangle_\omega} \quad 401 \\
 |\psi_1\rangle_\mu &= \frac{1}{\sqrt{f(x^3)}} \sum_{x^{-3}} \theta(x^3) \geq x^{-3}) A^-(x^{-3}) \\
 &\quad \frac{|x^{-3}\rangle_{\alpha^-}}{|x^3\rangle_\alpha} \frac{|\psi_0\rangle_\mu}{|1\rangle_{\mu_0}} = \frac{|\psi^-\rangle_{\alpha^-}}{|x^3\rangle_\alpha} \frac{|\psi_0\rangle_\mu}{|0\rangle_{\mu_0}} \quad 402 \\
 |1\rangle_\nu &= \left[ \begin{array}{c} |0^3\rangle_\beta \\ |1\rangle_\gamma \end{array} \right] 403 \\
 z_1 &= \frac{1}{\sqrt{2^4}} \sqrt{f(x^3)} \\
 z_0 &= \frac{1}{\sqrt{2^4}} \quad 404 \\
 \frac{|z_1|}{|z_0|} &= \sqrt{\frac{P(1)}{P(0)}} \quad 405
 \end{aligned}$$

*Figure 5*

*qMöbius*

(a "Möbius Resistor")

Ver. 1.6

**Inputs**

File Prefix

Number of  $|\psi\rangle$  qubits  ▾

c vector

bit 0

bit 1

bit 2

bit 3

Estimate of  $|z_1|^2 / |z_0|^2$

Maximum Number of Grover Steps

Gamma Tolerance (degs)

Delta Lambda (degs)

**Outputs**

$|z_0|^2$

Starting Gamma (degs)

Final Gamma (degs)

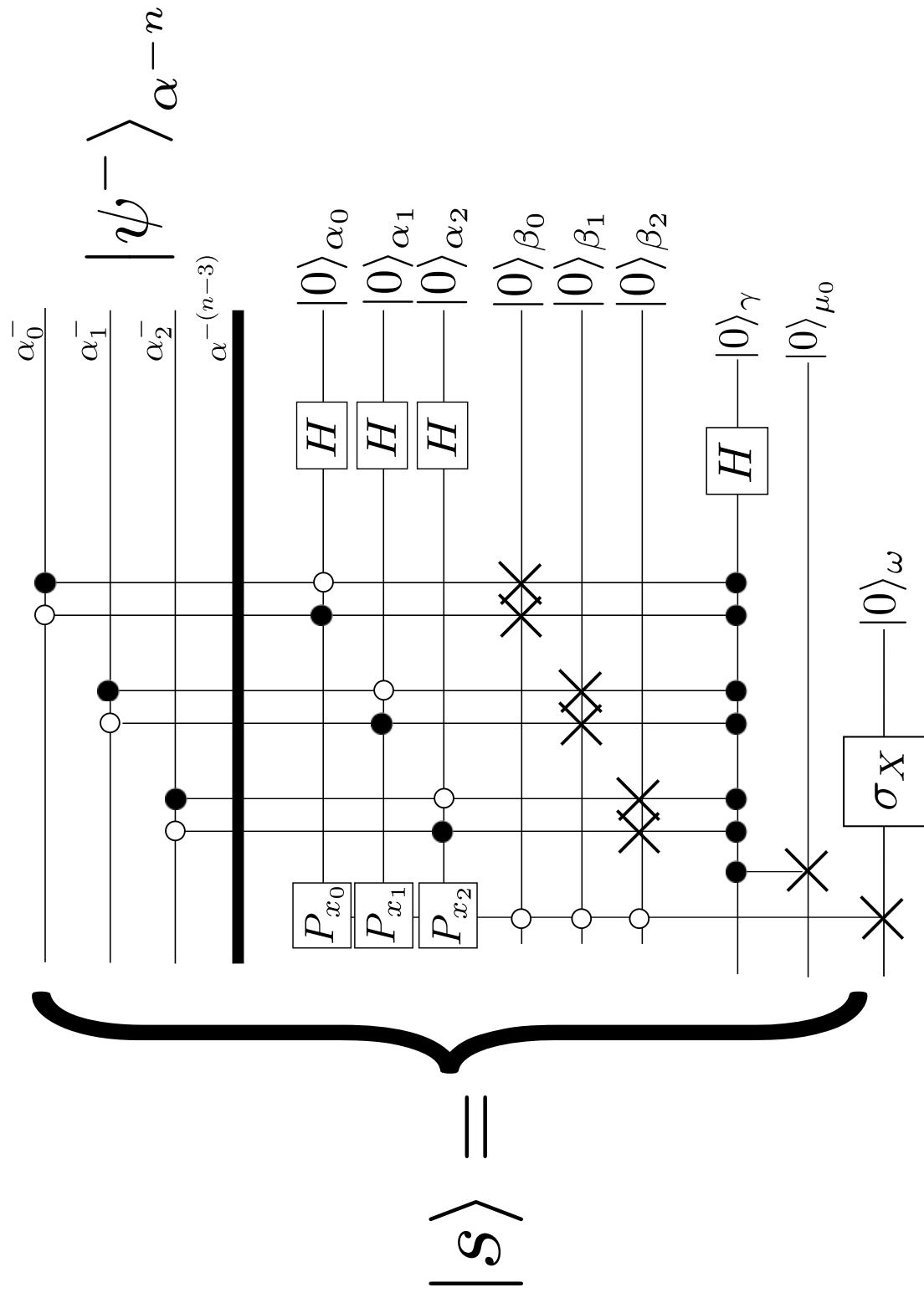
Number of Grover Steps

Number of Qubits

Number of Elem. Ops.

**Write Files**

*Figure 6*



*Figure 7*

$$\begin{aligned}
 |s\rangle_{\mu,\nu,\omega} &= z_1 |\psi_1\rangle_\mu + |\psi_0\rangle_\nu + |\chi\rangle_\omega \\
 &\quad + |\psi_1\rangle_\omega + |\chi\rangle_\mu + |\psi_0\rangle_\omega \\
 |\psi_1\rangle_\mu &= \frac{1}{\sqrt{P(x^3)}} \sum_{x^{-n}} \theta(x^3 = x^{-3}) A^-(x^{-n}) \frac{|x^{-n}\rangle_\alpha}{|1\rangle_{\mu_0}} \\
 &\quad - |\psi_0\rangle_\mu = \frac{|\psi^{-}\rangle_\alpha}{|x^3\rangle_\alpha} |0\rangle_{\mu_0} \\
 |\psi_0\rangle_\nu &= \left[ \begin{array}{c} |0^3\rangle_\beta \\ |1\rangle_\gamma \end{array} \right] 703 \\
 z_1 &= \frac{1}{\sqrt{2^4}} \sqrt{P(x^3)} \\
 \frac{|z_1|}{|z_0|} &= \sqrt{\frac{P(1)}{P(0)}} \quad 705
 \end{aligned}$$

*Figure 8*

Ver. 1.6

**Inputs**

File Prefix

Number of  $|\psi\rangle$  qubits

Number of marginal qubits

c vector

bit 0

bit 1

bit 2

bit 3

Estimate of  $|z_1|^2 / |z_0|^2$

Maximum Number of Grover Steps

Gamma Tolerance (degs)

Delta Lambda (degs)

**Outputs**

$|z_0|^2$

Starting Gamma (degs)

Final Gamma (degs)

Number of Grover Steps

Number of Qubits

Number of Elem. Ops.

**Write Files**